Discussion of Jones & Marinescu (2018)

The Labor Market Impacts of Universal and Permanent Cash Transfers

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AEA Philadelphia, January 7, 2018

Very interesting paper! Lots to think about...

Outline of Discussion

- 1. The Alaska Permanent Fund Dividend (PFD)
- 2. Discussion of methodology and main results
- 3. Questions & suggestions for further/future research

Alaska Permanent Fund Dividend (PFD) = annual payments from state's broadly-diversified wealth fund

dividend size is independent of local economy

Important characteristics of PFD for excess sensitivity tests:

- 1. *nominally large* and *lump-sum*
 - eligibility predetermined by presence during previous year
 - dividend is \$1,700 on average per person! (in real \$ of 2014)
 - avg family size = $2.8 \Rightarrow$ \$4,800 every October
- 2. predetermined, regular, and salient
 - based on June numbers, announced in Sept., paid in October
 - highly predictable: 5-year moving-average of fund's income
 - well covered by local media during the year & fund's website

Independence from Local Economy: Portfolio allocation from Alaska Permanent Fund's website



Independence from Local Economy: Oil Revenue is only small fraction of fund's market value



Size & Predictability: Divided Forecast using dividend rule set in state law based on APF's 'income from assets'



Salience: Dividend forecast by Local Newspapers (narratives)



Potential outcome framework:

$$y_{T,t}(\tau) = \alpha_{T,t} + y_{T,t}(c) \quad \text{if } t > T_0$$

 $y_{T,t}(d_{T,t})$: observed outcome for Treated state (Alaska)

treatment (dosage): $d_{s,t} = \begin{cases} \tau, \text{ if state} = \text{Alaska } \& t > T_0 \\ c, \text{ if state} \neq \text{Alaska} \mid t \leq T_0 \end{cases}$

 $\alpha_{T,t}$: time-varying treatment effect

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$$\hat{y}_{T,t}(c) = \hat{w}' y_{C,t} \quad \text{if } t > T_0$$

$$\Rightarrow \hat{\alpha}_{T,t} = y_{T,t} (\tau) - \hat{y}_{T,t}(c) \qquad \text{if } t > T_0$$

Main Results

Two main findings:

- 1. Fairly tight non-result for extensive margin: ER, LFP
- 2. Large effect on intensive margin: part-time rate

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- 1. Fairly tight non-result for extensive margin: ER, LFP
- 2. Large effect on <u>intensive</u> margin: part-time rate Statistically and economically <u>insignificant</u> effect on employment rate
- 95%-CI rules out effects larger than 5% of ER mean (64% ± 3%)
- Point estimates are positive → no slacking off with permanent transfers (<u>external validity</u>: Also true for universal basic income?)
- Survey in 2017 finds that "majority of Alaskans report that the PFD has little to no effect on work." (→ *Is asking people underrated in econ?*)

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Two main findings:

- 1. Fairly tight non-result for extensive margin: ER, LFP
- 2. Large effect on <u>intensive</u> margin: part-time rate Statistically and economically <u>significant</u> effect on part-time employment
- 18% increase in part-time employment (from 10.3% to 12.1%)!
- What are the potential mechanisms?

Labor demand response to temporary peak-consumption (eg retail sales) or persistent reductions in labor supply (e.g. secondary earners, mothers)?

Excess Sensitivity: Cumulative MPC ~25%, stable after 1 quarter



Durables: Cumulative MPC - strong intertemporal substitution



Questions & Suggestions

Could you look for <u>non-linearities</u>?

- Extensive margin non-results might disappear for larger transfers such as universal basic income
 - e.g. 20-30k allows for labor force exit, but 5k doesn't
- Could scale transfers by income, since income effect is larger for low-income people

Questions & Suggestions

Could you look for <u>heterogeneous effects</u>?

• Maybe larger effects on marginally attached workers:

1) secondary earners

- 2) new mothers(1& 2 might explain in female/male difference)
 - 3) teenagers
 - 4) 'enterpreneurs', newly self-employed
 - 5) by sector: retail sector to satisfy peak demand?